

Multimode Interference Waveguides

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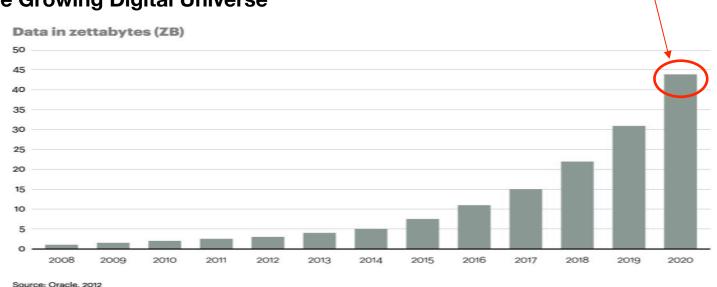


* 44 Trillion Gigabytes

Why Integrated Photonics?

Vast potential in integrated optical circuits

- Larger bandwidth, faster speeds, lower energy consumption



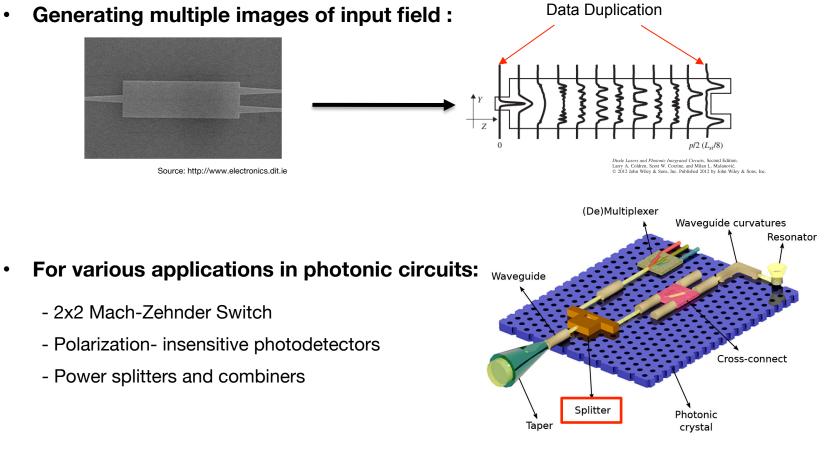
• The Growing Digital Universe

American Institute for Manufactoring Integrated Photonics (AIM)

- Develop process flows that permit the re-use of the current electronic fabrication infrastructure
- High performance hardware requires optimal efficiency in every component
- Multimode interference proves to be a vital technique in high performance



Splitting and Combining Mid-Infared Lightwaves



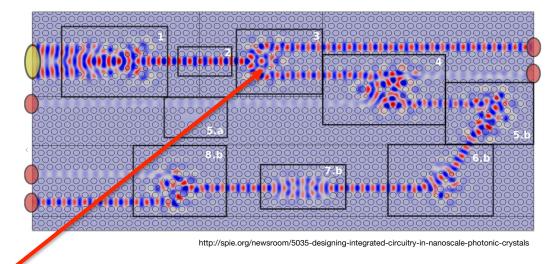
http://spie.org/Images/Graphics/Newsroom/Imported-2013/005035/005035_10_fig1.jpg



Why Multimode Interference Waveguides?

- Higher tolerance to dimension changes in fabrication process
- Easier fabrication process than other couplers
 - Do not require submicron gaps found in directional couplers
- Low inherent losses
 - Loss depends on the quality of the input
- Large optical bandwidth
- Low polarization dependence

Optical Circuit for Telecommunication Application



• Input light is split, sending it through an optical cross- connect and output port



Principles of Guided Mode Propagation

1) Input field profile at distance "z = 0" :

$$E(x,0) = \sum_{m=0}^{M-1} a_m U_m(x).$$

•

2) Superposition of individual modes at propagation distance "z" :

$$E(x,z) = \sum_{m=0}^{M-1} a_m U_m(x) \cdot e^{-j\beta_m z}$$



$$E(x,z) = e^{-jk_0n_lz} \cdot \sum_{m=0}^{M-1} a_m U_m(x) e^{j2\pi(m+1)^2(z/L_{si})}$$
Phase of lateral plane wave
• Mode phase factor

Modal excitation factor

4) Self-imaging distance :
$$L_{Si}$$
 * Inserting for "z" we get self-image

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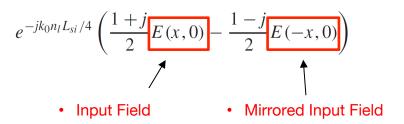
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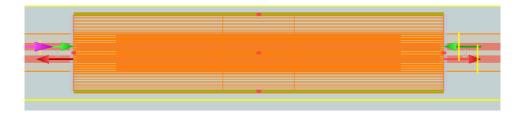
General Interference for 2x2 MMI waveguides

• Inserting
$$\frac{L_{si}}{4}$$
 for "z": $e^{j(\pi/2)(m+1)^2} = \begin{cases} j & (\text{even } m) \\ 1 & (\text{odd } m) \end{cases}$

• Separating into even and odd modes :



* We can use this length to produce an efficient 2x2 MMI coupler



Lumerical MODE Solutions

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• 2x2 MMI Waveguide :



Restricted Interference for 1x2 MMI Waveguides

• For *general* interference, compacted with stepping integer *p* :

$$\frac{j^{p}}{2} E(x,0) + E(-x,0)] + \frac{1}{2} E(x,0) - E(-x,0)]$$
• Even/ symmetric
• Odd/ antisymmetric

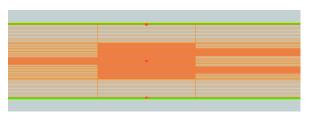
• Using Fourier Analysis :

$$L = \frac{p}{N} \left(\frac{L_{si}}{2}\right)$$

• For symmetric interference, odd term disappears:

$$L = \frac{p}{N} \left(\frac{L_{si}}{8}\right)$$
 • Self-image now appears at quarter of the distance

• 1x2 MMI Waveguide :

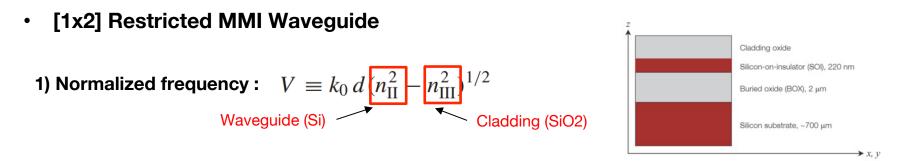


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Designing Multimode Interference Couplers



2) Propagation Parameter:
$$b \equiv \frac{\bar{n}^2 - n_{\text{III}}^2}{n_{\text{II}}^2 - n_{\text{III}}^2} \equiv 1 - \frac{\ln\left(1 + \frac{V^2}{2}\right)}{\frac{V^2}{2}}$$

3) Effective Index :
$$\overline{n}_0 = \sqrt{b(n_{\text{II}}^2 - n_{\text{III}}^2) + n_{\text{III}}^2}$$

4) Self- imaging length : $L_{si} = \frac{\lambda}{(\bar{n}_l - \bar{n}_0)}$

5) Applying previous restricted length for restricted propagation : $L = \frac{p}{N} \left(\frac{L_{si}}{8}\right)$

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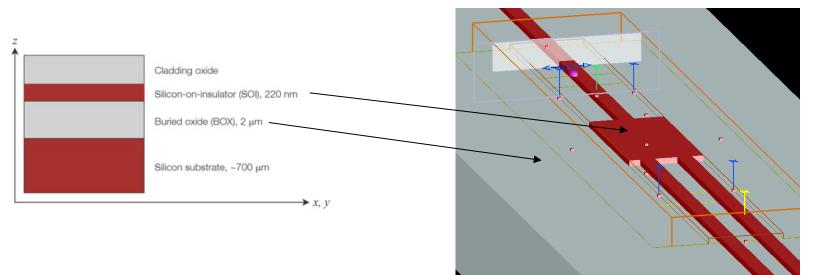
Lumerical MODE Solutions

- Design Model
 - Specific material
 - Calculated dimensions
 - Add signal source (1.55 microns)
 - Monitors

Simulation

- EME (Eigen Mode Expansion)
- FDTD (Finite Difference Time Domain)

Cross Sectional View

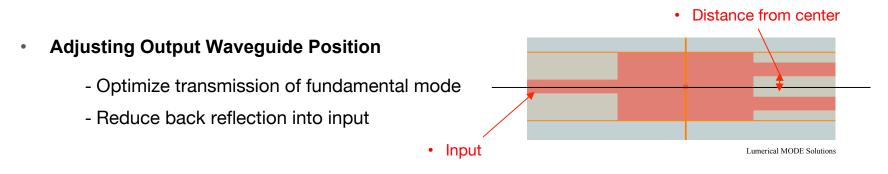


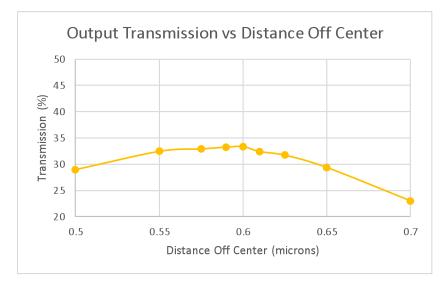
1x2 MMI Waveguide (Perspective)

Lumerical MODE Solutions

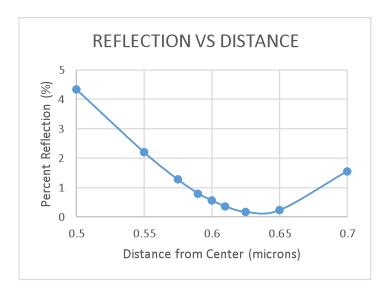


Optimization and Simulation





• 28.9% to 33.3 % increase in transmission



4.34% to 0.36% % decrease in back reflection



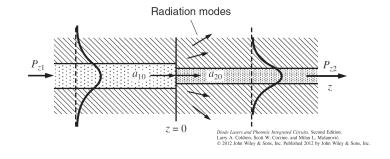
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ELECTRICAL AND COMPUTER ENGINEERING

Optimization and Simulation

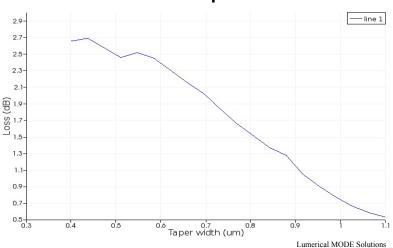
- Accounting for radiation mode loss
 - Transmission loss through change in width :

Introduce tapered inputs/ outputs



• Loss vs Taper Width

Lunerical MODE Solutions

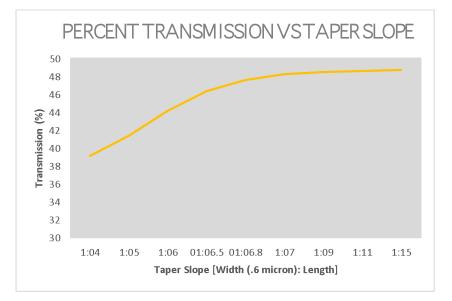


- Increased width, decreased loss
- Limited width increase

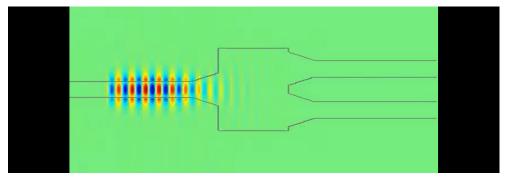


Finalizing 1x2 MMI waveguide

- Introduced taper transmission :
 - Increased length, increased transmission
 - Limited length increase



- FDTD Simulation of a Input :
 - Pulse input @ 1.55 microns



Lumerical MODE Solutions



Final Dimensions and Future Application

- MMI Length
 - Calculated optimal length for modal splitting

Output Positioning

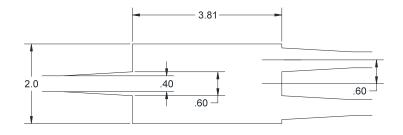
- 28.9% to 33.3 % increase in transmission
- 4.34% to 0.36% % decrease in back reflection

Taper Introduction

- 33.3% to 48.3% increase in transmission
- 0.36% to 0.32% decrease in back reflection
- Application
 - Use techniques for 2x2 MMI waveguides
 - Increase efficiency in future optical circuits

Final Dimensions

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1x2 MMI Waveguide



Acknowledgements

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CSEP